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PAPER 70-55

AUTOMATIC CONTOURING OF GEOPHYSICAL DATA
USING BICUBIC SPLINE INTERPOLATION

(Report and 7 figures)

M. T. Holroyd and B. K. Bhattacharyya



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ABSTRACT

A method for automatic contouring of two-dimensional geophysical data is presented in this paper. The method is based on piecewise bicubic spline representation of uniformly-gridded data points derived from irregularly-spaced observations. The testing of this method has been carried out with a set of data digitized along flight lines at points of intersection with contour lines on a published aeromagnetic map. The map is conspicuous by the presence of steep gradient as well as broad, smoothly-varying regions. A critical examination of the machine-contoured map with respect to the published hand-drawn map establishes the accuracy and reliability of the automatic contouring program. In this paper a short account of bicubic splines is followed by a description of the contouring program, the input data required by the program, and the results.

AUTOMATIC CONTOURING OF GEOPHYSICAL DATA USING BICUBIC SPLINE INTERPOLATION

INTRODUCTION

Basic geological and geophysical data, when available in two-dimensional form, are normally presented as a contoured map. The map compiler relies basically on linear interpolation between data points and manual smoothing. In the process of contouring the compiler is greatly influenced by the trends and characteristic patterns apparent in the data. So the contoured map is essentially a product of his subjective interpretation of the patterns in the data, his ability to perform rapid linear interpolation and his skill in smoothing. The accuracy with which the map is drawn determines to a large degree the nature of application of the map to the problem of delineating geological features. For example, on an aeromagnetic map, the broad characteristics such as the direction and extent of a particular trend and the linear feature corresponding to a major fault stand out prominently and the degree of accuracy of the map can, therefore, be relaxed considerably. However, for detailed geological mapping and for thorough investigation of important anomalies, various quantitative methods of interpretation have to be used. Many such methods employ not only the amplitudes of the magnetic field but also its gradient and curvature. Thus in order that the results of interpretation become reliable, the amplitude, gradient and curvature of the field should be accurately maintained in the map. To achieve this objective, the interpolation scheme used for the production of aeromagnetic maps should provide continuity of the field, its gradient and curvature at all the data points and should introduce the minimum amount of smoothing.

An automatic machine contouring method has some distinct advantages over manual contouring. Firstly, there is a reduction in time between the acquisition of data and its presentation in the form of a map. Secondly, the map is contoured objectively. Thirdly, accurate interpolation schemes can be used. This third factor is the most important of all because the interpolated positions of the contours between the original data points determine essentially the accuracy of the map.

There have been a few papers recently on automatic contouring of two-dimensional data. Smith (1968) proposed a method of interpolation in which a circle or an ellipse of specified shape and angle of rotation is used to define a neighbourhood around a grid point. An average of the values of the independent variable in this neighbourhood, each weighted by the reciprocal of distance from the grid point or by the reciprocal of square of that distance or by some mixture of the two, is computed and stored at the grid point. Smith also tried to use a priori information on strike of the causative body to influence contouring.

Pelto *et al.* (1968) described a method of automatic contouring of irregularly spaced data. The method consists of three steps. Firstly, in

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regions with few or no observations, control values are interpolated by either linear or nonlinear methods. Secondly, a regional polynomial surface, commonly of eighth or twelfth degree, is fitted by least squares to the original and interpolated control points. Thirdly, a moving, weighted, least squares surface, which is essentially a continuous surface of first or second degree, with smoothly varying parameters, is forced to pass through the deviations between the regional surface and the observations. In this process all data points are weighted according to an inverse power of distance from the grid point. The final product of this method of contouring looks very similar to hand-drawn maps for smoothly-varying data.

It is obvious that the quality of the contoured map depends largely on the method of interpolation used, not only in the reduction of irregularly-distributed data to equispaced form but also in determining the co-ordinates of the points along individual contours. Crain and Bhattacharyya (1967) evaluated various methods of interpolation currently in use at many places, developed some new methods and published the results of application of these methods to actual aeromagnetic data. Of all the methods, only two, the Gram-Schmidt orthogonalization procedure and the quadratic, weighted-average method, are found to be satisfactory for interpolation in regions characterized by smooth and gentle variations of the observed variable. The results obtained with these methods in the presentation of small-scale features and large gradients in an aeromagnetic map are, in general, not of high quality and cannot surpass the performance achieved by manual contouring of the data.

For the above reasons a new technique using spline interpolation (Bhattacharyya, 1969) has been recently developed for computing values of an observed variable at equispaced points along two orthogonal directions with the help of irregularly-distributed data. The interpolation technique applied to aeromagnetic data obtained along nonlinear flight lines shows high resolution by maintaining the separation of neighbouring anomalies and small-scale features. The shapes, peaks and troughs of both large and small amplitude anomalies are faithfully reproduced. The gradients of the magnetic field are not found to undergo any appreciable distortion.

The excellent quality of the results obtained with spline interpolation suggests its use in the possible development of a good automatic method for contouring two-dimensional geophysical data. A method so developed is presented in this paper. The details of treatment of irregular observations for computing field values at regular grid points are given in the paper by Bhattacharyya (1969). In this paper it is therefore assumed that regular gridded data in two orthogonal directions are readily available. A short account of bicubic splines which are extensively used in the contouring method, precedes the description of the contouring program, the data to be contoured and the results. Finally, a listing of the program in FORTRAN language written for IBM 360 system is given.

BICUBIC SPLINES

Thin elastic splines are used by a draftsman to draw a smooth curve through a number of given points under the constraint of maintaining the continuity of slopes and curvatures along the curve. The bicubic spline interpolation method is a numerical analog of the draftsman's method for plotting curves in two dimensions. The interpolation scheme essentially generates piecewise cubic polynomials representing the field function in every interval between points of observation. For this generation, the scheme utilizes the continuity of the function and its first two successive derivatives at all data points. The potential strength of this method lies in the fact that the function and its slope and curvature are made continuous throughout the area of observations.

Let the values of a function $g(x, y)$ of two variables (x, y) be given at mesh-points $i = 0, 1, \dots, M$ and $j = 0, 1, \dots, N$. At the point (i, j) the value of the function is denoted by g_{ij} . The piecewise polynomial function, defined in each rectangular cell

$$x_{i-1} \leq x \leq x_i, \quad y_{j-1} \leq y \leq y_j$$

of the grid, is of the following form

$$r_{ij} = \sum_{m=0}^3 \sum_{n=0}^3 a_{mn}^{ij} (x-x_{i-1})^m \cdot (y-y_{j-1})^n. \quad (1)$$

In order to determine the coefficients a_{mn}^{ij} , it is required to know the derivatives at the boundary points of each cell, i.e.,

$$p_{ij} = g_x(x_i, y_j), \quad q_{ij} = g_y(x_i, y_j), \quad (2)$$

and

$$s_{ij} = g_{xy}(x_i, y_j),$$

where the variables with respect to which $g(x, y)$ has been differentiated, are indicated in the subscripts of g .

Let there be known values of

$$p_{ij}, \quad i = 0, M; \quad j = 0, 1, \dots, N,$$

$$q_{ij}, \quad i = 0, 1, \dots, M; \quad j = 0, N,$$

$$\text{and } s_{ij}, \quad i = 0, M; \quad j = 0, N.$$

Then it may be shown (DeBoor, 1962) that for the above values and the values of g_{ij} at the mesh-points, there exists one and only one piecewise bicubic polynomial of the form (1).

If g_{ij} , p_{ij} , q_{ij} and s_{ij} are known at all the mesh-points and if the station-spacing is assumed to be unity, the coefficients a_{mn}^{ij} are given by

$$a_{00}^{ij} = g_{i-1, j-1}, \quad a_{10}^{ij} = p_{i-1, j-1}$$

$$a_{01}^{ij} = q_{i-1, j-1}, \quad a_{11}^{ij} = s_{i-1, j-1}$$

$$a_{02}^{ij} = \left[3(g_{i-1, j} - g_{i-1, j-1}) - (q_{i-1, j} + 2q_{i-1, j-1}) \right],$$

$$a_{03}^{ij} = \left[(q_{i-1, j} + q_{i-1, j-1}) - 2(g_{i-1, j} - g_{i-1, j-1}) \right],$$

$$a_{12}^{ij} = \left[3(p_{i-1, j} - p_{i-1, j-1}) - (s_{i-1, j} + 2s_{i-1, j-1}) \right],$$

$$\begin{aligned}
 a_{13}^{ij} &= \left[(s_{i-1, j} + s_{i-1, j-1}) - 2(p_{i-1, j} - p_{i-1, j-1}) \right], \\
 a_{20}^{ij} &= \left[3(g_{i, j-1} - g_{i-1, j-1}) - (p_{i, j-1} + 2p_{i-1, j-1}) \right], \\
 a_{21}^{ij} &= \left[3(q_{i, j-1} - q_{i-1, j-1}) - (s_{i, j-1} + 2s_{i-1, j-1}) \right], \\
 a_{22}^{ij} &= 9\gamma_1 - 3\gamma_2 - 3\gamma_3 + \gamma_4, \\
 a_{23}^{ij} &= -6\gamma_1 + 2\gamma_2 + 3\gamma_3 - \gamma_4, \\
 a_{30}^{ij} &= \left[(p_{i, j-1} + p_{i-1, j-1}) - 2(g_{i, j-1} - g_{i-1, j-1}) \right], \\
 a_{31}^{ij} &= \left[(s_{i, j-1} + s_{i-1, j-1}) - 2(q_{i, j-1} - q_{i-1, j-1}) \right], \\
 a_{32}^{ij} &= -6\gamma_1 + 3\gamma_2 + 2\gamma_3 - \gamma_4, \\
 \text{and } a_{33}^{ij} &= 4\gamma_1 - 2\gamma_2 - 2\gamma_3 + \gamma_4,
 \end{aligned}$$

where $\gamma_1 = (g_{ij} + g_{i-1, j-1} - g_{i, j-1} - g_{i-1, j}) + (p_{i-1, j-1} - p_{i-1, j} + q_{i-1, j-1} - q_{i, j-1}) + s_{i-1, j-1}$,

$$\gamma_2 = p_{i-1, j-1} - p_{i, j-1} - p_{i-1, j} + s_{i-1, j-1} - s_{i, j-1},$$

$$\gamma_3 = q_{ij} + q_{i-1, j-1} - q_{i-1, j} - q_{i, j-1} + s_{i-1, j-1} - s_{i-1, j},$$

and $\gamma_4 = s_{ij} + s_{i-1, j-1} - s_{i, j-1} - s_{i-1, j}$.

The derivatives in the above set of equations for the coefficients can be evaluated by assuming the continuity of the following derivatives at all the interior mesh-points:

$$g_{xx}(x_i, y_j), g_{yy}(x_i, y_j), \text{ and either}$$

$$g_{x^2y}(x_i, y_j) \text{ or } g_{xy^2}(x_i, y_j).$$

The continuity of $g_{x^2y}(x_i, y_j)$ has been used in the calculations presented in this paper. The scheme used for evaluating p_{ij} , q_{ij} and s_{ij} are briefly indicated in the following:

(i) Calculation of p_{ij} :

For each of the lines $j = 0, 1, \dots, N$, the observed values g_{ij} are represented by piecewise cubic polynomials in each of the intervals (x_{i-1}, x_i) , $i = 1, \dots, M$. Assuming the continuity of second derivatives at all the knots, we have (Bhattacharyya, 1969)

$$p_{i+1, j} + 4p_{i, j} + p_{i-1, j} = 3(g_{i+1, j} - g_{i-1, j}), \quad (3)$$

$$i = 1, \dots, M-1.$$

The two other equations necessary for solving all the p_i 's are provided by the conditions

$$g_{xx}(x_i, y_j) = 0, \quad i = 0, M; \quad j = 0, 1, \dots, N. \quad (4)$$

The assumption of the second derivatives being equal to zero at the end points of a given profile keeps the integral-square measure of approximation to the second derivative at a minimum value (Holladay, 1957; Walsh *et al.*, 1962).

(ii) Calculation of q_{ij} :

The equations for q are similar to those of p and are given below:

$$q_{i, j+1} + 4q_{i, j} + q_{i, j-1} = 3(g_{i, j+1} - g_{i, j-1}), \quad (5)$$

$$j = 1, \dots, N-1; \quad i = 0, \dots, M.$$

and

$$g_{yy}(x_i, y_j) = 0, \quad i = 0, 1, \dots, M; \quad j = 0, N. \quad (6)$$

(iii) Calculation of s_{ij} :

For computing s_{ij} , the values of p and q in (3) and (5) are used:

(a) For $j = 0, N$

$$s_{i+1, j} + 4s_{i, j} + s_{i-1, j} = 3(q_{i+1, j} - q_{i-1, j}), \quad i = 1, \dots, M-1. \quad (7)$$

and
$$g_{x^2y}(x_i, y_j) = 0, \quad i = 0, M; \quad j = 0, N. \quad (8)$$

(b) For $i = 0, 1, \dots, M$

$$s_{i, j+1} + 4s_{i, j} + s_{i, j-1} = 3(p_{i, j+1} - p_{i, j-1}), \quad j = 1, \dots, N-1. \quad (9)$$

The tridiagonal linear equations (3)-(9) are solved by standard methods. With the values of p , q , s thus determined it is now very straightforward to evaluate all the bicubic spline coefficients.

DETAILS OF THE CONTOURING PROGRAM

A. CONTROL CARDS:

These cards control the details of execution of the program by specifying the data grid, strip height, block width, subgrid numbers, scale, contour interval and title of the map. Some of these parameters are self-explanatory and the rest will be explained in the following paragraphs. Control parameters also determine whether the whole map or one detailed section of the map will be drawn. The total number of blocks per strip and strips per map and their physical dimensions are computed in the program. As will be noted later, various other optional features are available in the program.

B. BICUBIC SPLINE COEFFICIENTS:

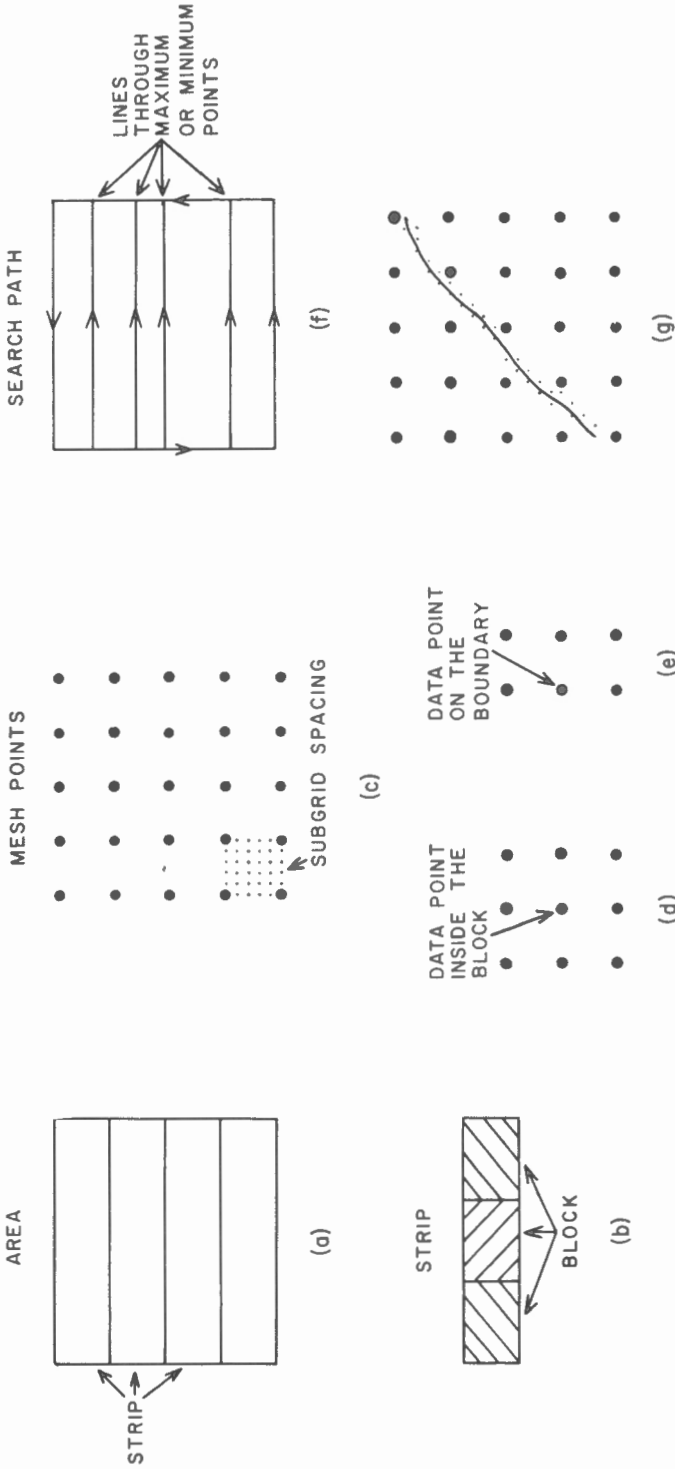
The bicubic spline coefficients are calculated in one operation for the basic data covering the whole area under study. There are sixteen coefficients for each rectangular cell defined by four adjacent mesh points. These coefficients are written on a magnetic tape sequentially from left to right for each row of cells beginning with the southernmost row.

Requirements for computer core storage have to be an acceptable maximum and provision has to be made in the program for coping with large and variable amounts of basic data. It is, therefore, not possible in the majority of cases to consider the whole area of the map for contouring in a single operation. Consequently, the given area is normally divided into a number of strips (Fig. 1a). A strip is defined by the whole width of the area and a specified number of cells in height. A strip is broken up into a number of blocks, each block covering the full height of the strip and a specified number of cells in width (Fig. 1b). This partitioning of the area is needed to keep the working storage requirements for contouring within prescribed limits. In order to achieve this objective, the height of the strip must be inversely proportional to the width. This scheme may occasionally give rise to strips of very small height and exceedingly large width. It is then necessary to divide the original rows of rectangular cells into smaller units of selected width and write the bicubic spline coefficients in the output magnetic tape in the fashion described before for each of these units. The perfect matching of the contours at the boundaries of the blocks is guaranteed by the way spline coefficients are calculated for the basic data.

It is now evident that regardless of the number of units into which the area is divided, the spline coefficients for a specific strip are considered alone for the process of contouring. When the contouring for the strip is completed, the spline coefficients for the next strip are obtained from the input tape for computation.

At this stage it should be noted that a control parameter, called subgrid spacing (Fig. 1c), which is a small fraction of the side of a rectangular cell, is so chosen that linear interpolation between two points separated by the subgrid spacing is valid anywhere in the whole area. The smoothness of the contoured map and the computation time depend on this parameter.

Values of the field to be plotted are calculated at every subgrid interval around the periphery of the block and along certain selected lines crossing the block parallel to its lower boundary. To trace the contours across the block, values of the field are calculated with the bicubic spline coefficients only at those subgrid points which lie in the neighbourhood of the passing contours. The locations of points on the contours are determined by linear interpolation between the values at subgrid points.



- (a) An area divided into strips;
- (b) A strip divided into blocks;
- (c) Mesh points and the subgrid spacing;
- (d) Mesh points immediately adjacent to a data point inside the block for finding out relative maximum or minimum points;
- (e) Same as in (d) for a data point on the boundary of a block;
- (f) Search path;
- (g) Subgrid points close to a contour to be traced.

Figure 1. Diagrammatic representation of program steps.

C. STEPS OF COMPUTATION IN A BLOCK:

The block at the extreme left of the strip is first considered. The major steps of computation in a block are given below:

(i) Search for relative maxima and minima:

The data values are searched for relative maxima and minima from left to right row by row beginning with the southernmost row (Fig. 1d, e). The value of the field at a data point is compared with the values of the mesh points immediately adjacent to it for establishing a relative maximum or minimum (SUBROUTINE MAXMIN). The gradient of the field in the two orthogonal directions at such a point, calculated with the help of the spline coefficients, are used to locate correctly the cell containing the relative maximum or minimum point. If the cell lies within the block, the exact location of this point is determined by linear interpolation between the field values at the subgrid points within the cell. The significance of this maximum or minimum point with regard to the process of contouring is then tested and it is rejected if no contours traverse between the point and either the block boundary or the horizontal line through the previous maximum or minimum. The locations and values of all significant points are stored for future reference.

(ii) Location of contour intercepts:

With the help of bicubic spline coefficients the field values are calculated at all points separated by the subgrid interval along a 'search path' (Fig. 1f). These values are then used to find the absolute maximum and minimum within the given block and thus to ascertain the range of contours within the block. The starting point of the 'search path' is at the southwest corner of the block. This path first traverses anticlockwise along the boundary of the block and then from left to right along the horizontal lines passing through the significant maxima and minima points. The alternate points of intersection of each contour value with this path are determined by linear interpolation of the field values at subgrid points. The locations of these intersections are recorded as linear distances from the starting point to the contour intercepts along the 'search path'. If the range of contour values within the block is too great for the reserved working storage, the range is suitably divided into smaller groups. Each group is treated separately (SUBROUTINE CFIND).

(iii) Contour tracing:

In this step the locations of contour intercepts, as stored above, are converted from a linear co-ordinate to (x, y) co-ordinates (SUBROUTINE CSTART). The field values at only those subgrid points which are adjacent to the path of a contour to be traced, are calculated with the appropriate bicubic spline coefficients (Fig. 1g). These values are used to compute the (x, y) co-ordinates of the points necessary for drawing a particular contour. It is to be noted that by considering only the subgrid points in the vicinity of desired contours, computation time is made inversely proportional to the subgrid interval rather than to the square of the interval. The field values at the subgrid points are stored until all the contours in the block are traced.

In the case of contours originating on the boundary of the block, the storage of their alternate intersections with the search path precludes the possibility of a contour being traced twice or missed altogether. Because of this particular process of storage, contours originating on one of the internal maximum or minimum lines could not be missed but might be traced more than once. To prevent the possibility of retracing the same contour, any stored contour intercept on a maximum or minimum line, once considered in the process of tracing, is cancelled. Tracing is terminated when either a boundary is encountered or a contour returns to its starting point.

Due to sharp changes in horizontal gradients of the field, it is often not feasible to trace all the contours according to the contour interval specified in the control card. To avoid tracing a host of contours which will never appear on the map, the local contour density is checked every tenth point along selected contours. This density determines the contours to be traced. The method of checking the density will be described later.

For each point on a contour, its (x, y) co-ordinates and the difference between the field values at the two adjacent subgrid points are stored (SUBROUTINE CTRACE).

(iv) Contour drawing and labelling:

In the case of geological and geophysical data, particularly aeromagnetic data, a large variation in horizontal gradient is normally found over an area. A procedure is, therefore, incorporated in the program to achieve adequate contouring in regions of low gradient and to avoid crowding of the contours in places of high gradient.

As has been noted in the previous section, the differences between the field values at subgrid points lying on both sides of traced contours are stored. With this array of differences the contour density about each point on the contour is estimated. This density is averaged over a moving window of several points. The average value at a point of the contour is used to determine whether the contour shall be drawn, terminated or omitted. Values of the contour density are averaged in order to smooth out its fluctuations which may cause repeated termination and recommencement of a contour, thus simulating a dashed line. An input parameter allows the size of the moving window to be varied.

If the minimum value of the contour density at a series of points on a contour allow a label to be written without overwriting adjacent contours, a suitable short segment of the contour is replaced by a label. The centres of the numerals which make up the label, lie on a parabola fitted to the ends and midpoint of the omitted contour segment. Due to the necessary simplicity of the tests applied, labels may occasionally overwrite adjacent contours or labels. This problem may be minimized by narrowing the criteria for insertion of labels, thus reducing their total number (SUBROUTINES CDRAW and CLABEL). One of the control parameters read as input to the contouring program specifies the minimum separation between adjacent contours which permits a label to be inserted. This separation is expressed in terms of label numeral height.

Five orders of contour are defined within the program. Different types of line are drawn to distinguish between the orders. They are given below:

<u>Order</u>	<u>Type of line</u>	<u>Multiples of basic contour interval</u>
5	Solid, bold, beaded	Every 50th contour
4	Solid, bold	Every 10th contour
3	Solid	Every 5th contour
2	Dashed	Every 2nd (even) contour
1	Dotted	Remainder

The types of line and corresponding multiples of basic contour interval are specified as control parameters of the program.

D. PROGRAM OPTIONS:

In the initial stages of development of the contouring program, it was attempted to determine automatically an appropriate subgrid spacing for each individual block. The values of the curvature of the field obtained from the bicubic spline coefficients were tested along both axial directions at each of the data points. The maximum value of these curvatures was used to determine

the suitable subgrid spacing. The resulting contours were remarkably smooth in every block and the computation time was kept to a reasonable magnitude. However, it was noted that contours did not match perfectly at the boundary of two adjacent blocks with different subgrid spacings. Moreover, highly complex data may result in extremely fine or coarse subgrid spacing in some regions. Because of these reasons, the method has not been used in the program presented in this paper. This method is, however, recommended for use with data having not too many big variations or in cases of production of preliminary maps and large scale maps of a single anomaly.

Sometimes after production of a map it is found that for detailed studies different sections of the map have to be replotted in a smaller scale. For this reason it is a good idea to split the program in two stages. In the first stage all possible contours are traced and the arrays defining them are written on a magnetic tape. In the second stage this tape is used for plotting the desired contours according to the required scale and labelling. In this way the whole map or any particular section can be drawn with different combinations of scale, contour interval, type of line and labelling with modest computation time and storage requirement.

TEST OF THE CONTOURING PROGRAM

DATA:

In Figure 2 a redrafted version of an aeromagnetic map published by the Geological Survey of Canada is presented. The contouring of this map has been done manually. The basic data needed for production of this map has been used for testing the efficiency of the automatic contouring program. It is to be noted that the same set of data played an important role in the studies of different interpolation methods applicable to nonuniformly spaced data (Crain and Bhattacharyya, 1967; Bhattacharyya, 1969). The main reason for using these data in all these studies is the conspicuous presence of very steep gradients as well as broad, smoothly-varying regions of the map.

The flight lines spaced about one-half mile apart are indicated by thin lines in Figure 2. The data in the map were digitized only along flight lines at points of intersection with contour lines with the aid of an electronic coordinatograph. Figure 3 presents the locations of the digitized data points marked by crosses and the best-fitting straight lines passing through them. It is evident from these two figures that the spacings between flight lines are not uniform, varying from one-quarter of a mile to 0.69 mile. However, for a great majority of the lines, the line-spacing is approximately one-half mile.

With the help of the method described in the paper by Bhattacharyya (1969), the nonequispaced data was reduced to regular gridded data. The area containing this regular data is outlined by dashed lines in Figure 2. The data available for the contouring program consists of 137 points by 119 points in the north-south and east-west directions respectively at a uniform spacing of one-eighth of a mile. Because it was found in earlier studies that a spacing of one quarter mile was sufficient for depicting practically all the details of the map, a set of data containing 69 points by 60 points at a uniform interval of one-quarter of a mile is extracted from the regular data for the present study.

ANALYSIS AND RESULTS:

The bicubic spline coefficients for the whole set of data are computed in one operation. Figure 4 presents a continuous profile along a least squares line, as shown in Figure 3, calculated with the help of the spline coefficients. The dots in the figure indicate the original flight line data values

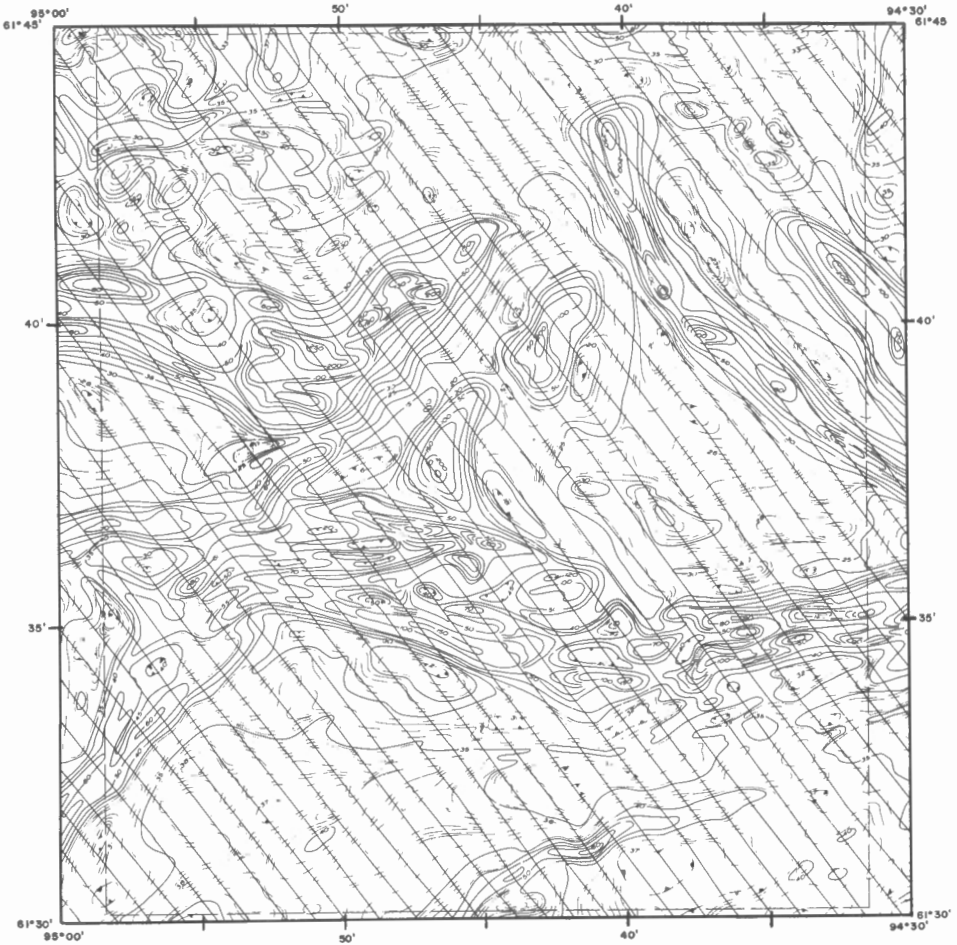


Figure 2. An aeromagnetic map from the Canadian Northwest Territories contoured in units of 100 gammas.

along the same profile. The correspondence between the actual and interpolated values is regarded as extremely good. The discrepancy between the two sets of values around some of the peaks is due to the insufficiency of the chosen grid spacing for proper definition of the peaks. However, to decrease the spacing for a better matching of the two curves will normally increase the total number of data points to an unmanageable level. The amount of smoothing introduced by spline interpolation at the peaks is, therefore, considered tolerable for practically all purposes and a reasonable compromise between conflicting requirements.

Within the automatic contouring program the data is contoured as 42 independent blocks. The complete machine-contoured map is shown in Figure 5. In the original scale of one inch to one mile of the published aeromagnetic map, it is not possible to detect the block boundaries by visual inspection.

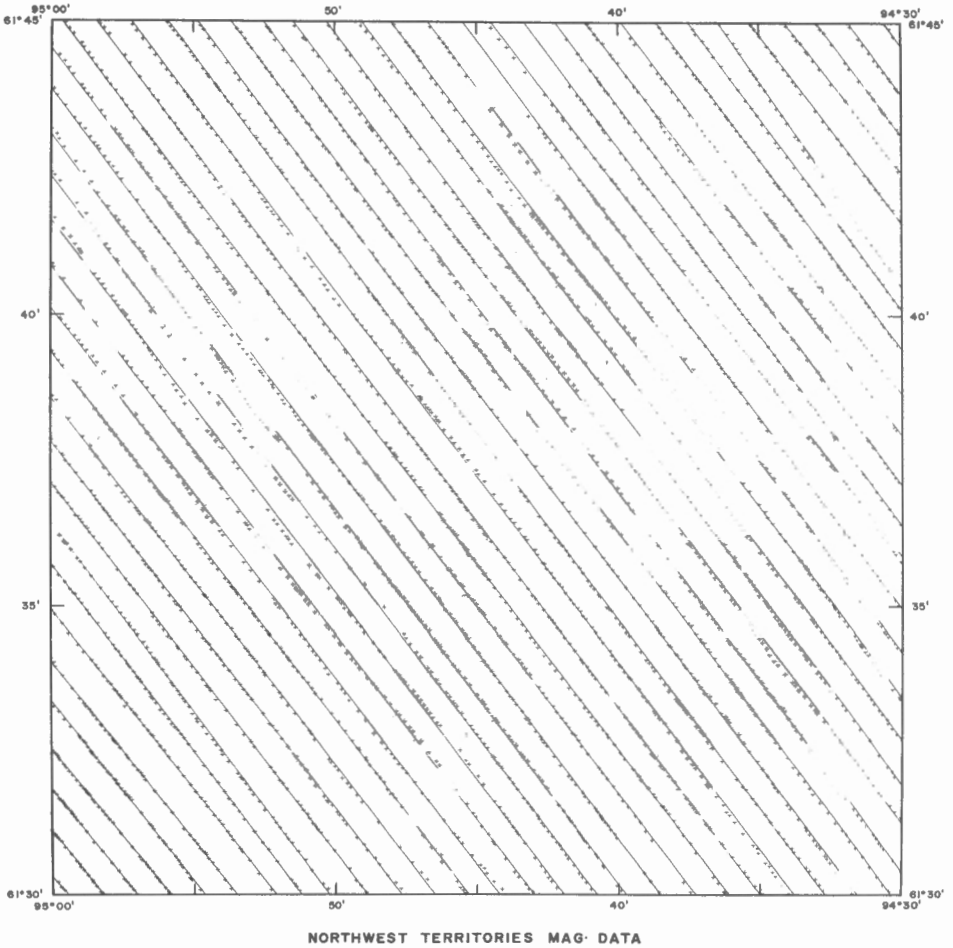


Figure 3. Best-fitting straight lines approximating actual flight lines from Figure 2 with locations of data marked by crosses.

To trace the contours in Figure 5, values of the field are calculated with the bicubic spline coefficients at the subgrid points being immediately adjacent to the passing contours. The subgrid interval has been chosen to be 1/32 inch. The final tracing of the contours is done by linear interpolation between subgrid values. The positions of the contours so determined may differ from those calculated exactly with bicubic spline interpolation by less than the thickness of the drawn line in the worst case and by a small fraction of this thickness in the majority of cases.

The basic contour interval in Figure 5 is 100 gammas. The interval between adjacent contours increases gradually with the horizontal gradient in the map from 100 gammas to a maximum of 5,000 gammas in regions of highest gradient at steps of 200, 500 and 1,000 gammas. As is evident in Figure 4, this automatic increase in contour interval up to 50 times the specified basic value does not give rise to any region in the map with excessive or inadequate coverage.

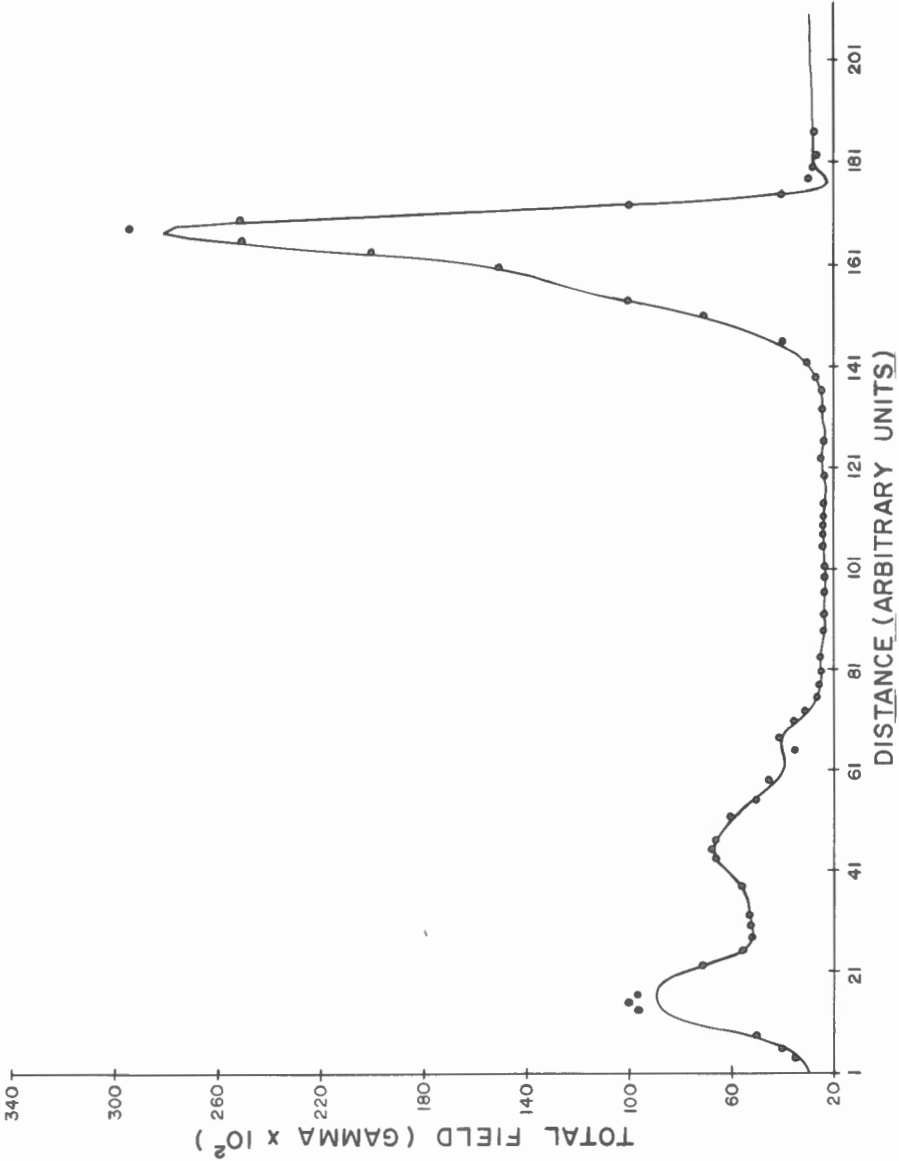


Figure 4. A continuous profile along one of the least squares lines in Figure 3 calculated with the help of spline coefficients fitted to the data marked by dots.

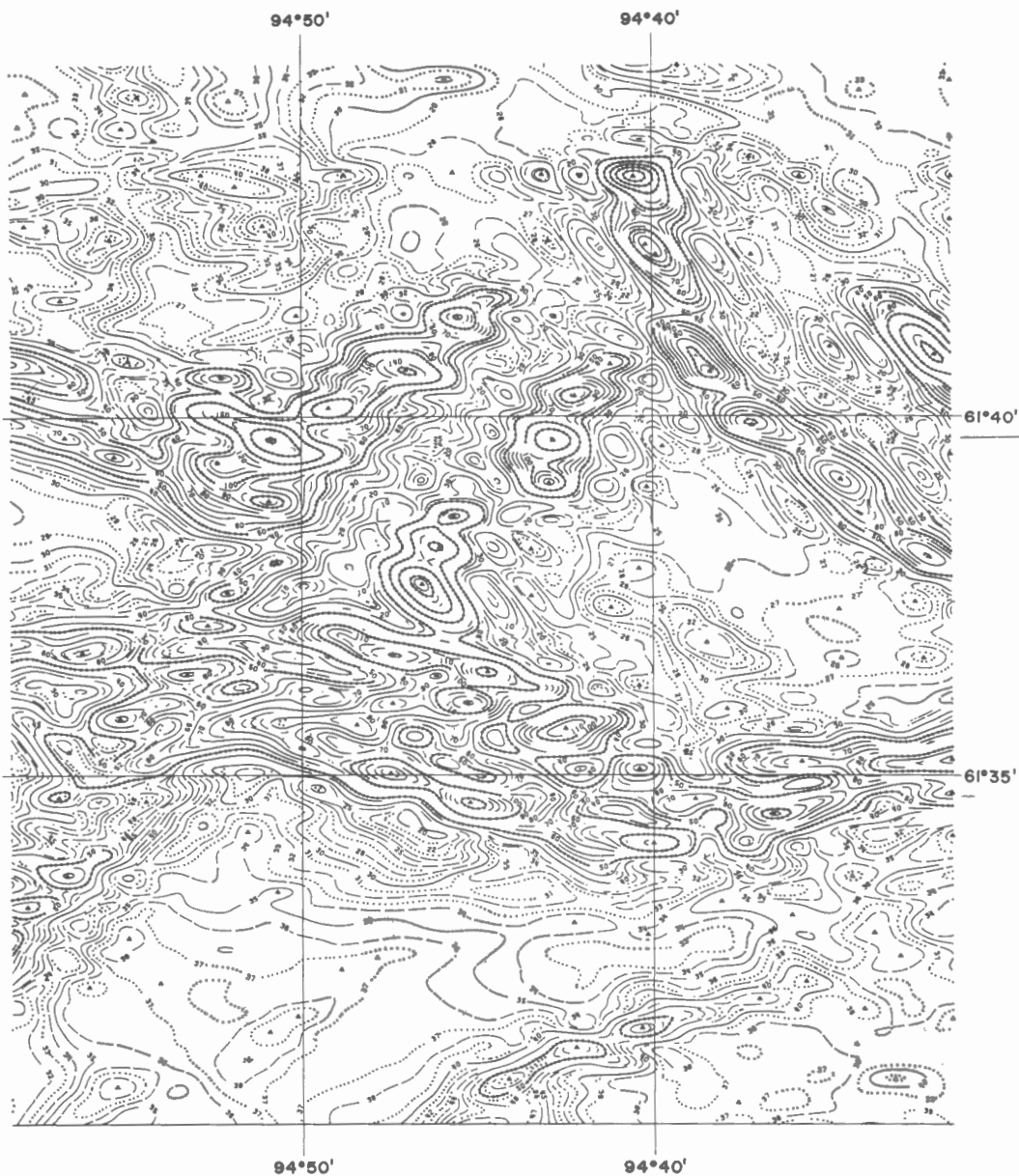


Figure 5. Machine-contoured map of the digitized data, the locations of which are given by Figure 3. The basic contour interval is 100 gammas.

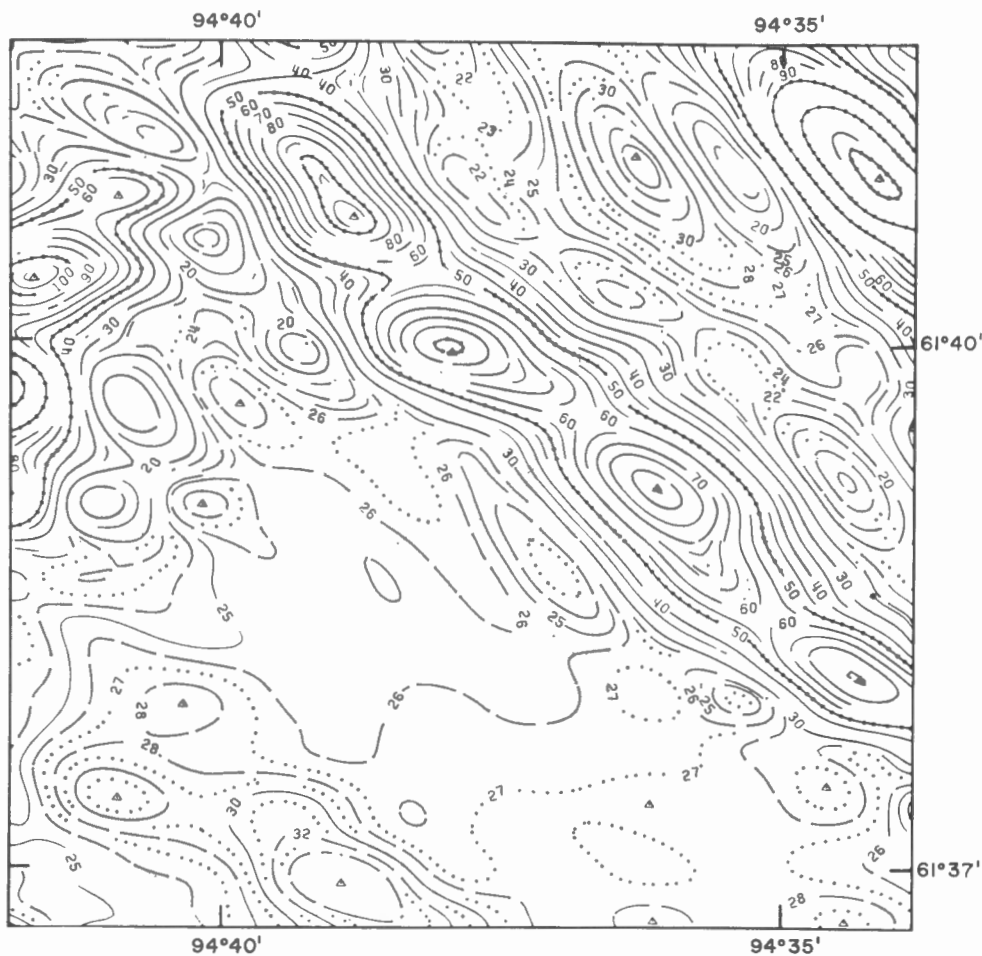


Figure 6. A northwesterly-trending group of anomalies with very steep gradients. This diagram shows the effects of the contour termination and labelling.

The very high resolution of the map presented in Figure 5 is borne out by the separation of neighbouring anomalies and good representation of small-scale features. The shapes of the anomalies are well maintained. The peaks and troughs of both large- and small-scale anomalies are faithfully reproduced. The gradients of the magnetic field in Figure 5 appear to be correct and this is very important from the point of quantitative interpretation of data.

The machine-contoured map (Fig. 5) differs in one respect from the hand-drawn map (Fig. 2). There are more closures of contours and so more isolated anomalies in Figure 5 in comparison to those in Figure 2. An examination of the hand-drawn map reveals a tendency on the part of the compiler to maintain trends beyond the supporting ability of the data. This tendency results in linking a series of contour intercepts across several flight lines by a single continuous contour rather than closing off the contour between flight lines in the absence of definite indication from the data. So it is concluded that Figure 5 presents a more objectively contoured version of the available data than does Figure 2.

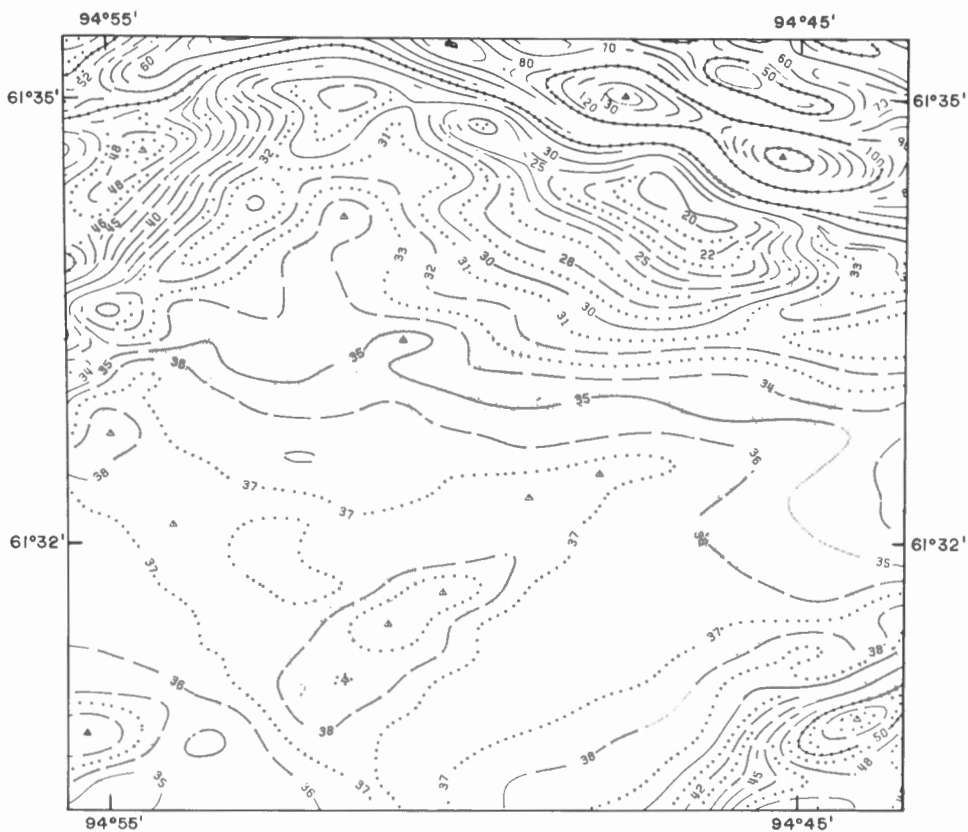


Figure 7. A region with a relatively small variation of the magnetic field.

Let us now consider two of the major features of the original aeromagnetic map. There is a northwesterly-trending group of anomalies starting at an approximate location of $61^{\circ}38'N$ and $94^{\circ}30'W$. Figure 6 shows details of these anomalies from the machine-contoured map. This also illustrates the effects of the contour termination and labelling.

An area with a relatively small variation of the magnetic field is centred at $61^{\circ}32'N$ and $94^{\circ}51'W$. The machine-contoured map of this area (Fig. 7) seems to be adequate and reasonably good.

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```
0001     CONTOUR FROM EQUISPACED DATA GRID N BY M
0002     DIMENSION DATA(4000),A(41,16,%,4),G(81,81),GP(16,16)
0003     DIMENSION XC(440),YC(440),XD(440),YD(440),GR(440),KSP(440)
0004     DIMENSION JM(50),GM(50),JM(50),MC(M(50)),CV(120),NOC(120)
0005     DIMENSION XGB(120,15),KNT(1000)
0006     DIMENSION AB(4),AG(4),ARC(100)
0007     DIMENSION NGX(4)
0008     DIMENSION LTN(5)
0009     DIMENSION XLD(10),XBO(10),YBO(10)
0010     EQUIVALENCE (ABC(1),A(1)),(GP(1), XC(1))
0011     CALL PLOTS(DATA1),4000)
0012     CALL PLOT (0.0,3.0,-3)
0013     REMIND 5
0014     NRG=120
0015     LQ=0
0016     READ(1,10) MTOT,NTCT,MSUB,NSUB,NGROX,NGROY,MJI,NPROX,SCLLY,
    3000  ISCLLY,HL
0017     3000  FORMAT(IH,5I5)
0018     READ(1,10) NMAP,NSTART,MSTART,ILAR,LINEF,LABEL
0019     READ(1,10) MING,NAV,NAF,NC,MCSEPL
0020     READ(1,10) NTT,(LINT),I=1,NTT)
0021     C$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$
0022     C  MTOT,NTCT= NO.OF GRID CELLS IN X & Y DIRECTIONS RESP. FOR 1ST MAP
0023     C  MSUB,NSUB = ----- DITTO -----
0024     C  NGROX,NGROY = NO. OF SUB-CELLS PER GRID CELL IN X & Y DIRECTIONS RESP.
0025     C  MJI = BASIC CONTOUR INTERVAL
0026     C  NPROX = MAXIMUM NO. OF CONTOURS/INCH TO BE DRAWN
0027     C  SCLLY,SCLLY = NO. OF GRID CELLS/INCH IN X & Y DIRECTIONS RESP.
0028     C  HL = HEIGHT OF LABEL NUMERALS IN INCHES.
0029     C  NMAP = NO. OF ADJACENT MAPS ( CONFIGURATION OF SPLINE CELL COFS. AS WRITTE
    -N ON DATA TAPE )
0030     C  MSTART,NSTART = NO. OF CELLS IN FROM LEFT AND UP FROM BOTTOM OF GRID
0031     C  - RESP AT WHICH MAP IS TO START.
0032     C  IF ILAB = 0 ONLY 2 TYPES OF CONTOUR DRAWN :- SOLID & SOLID-ROLD
0033     C  IF LINEF = 0 ONLY 2 TYPES OF CONTOUR DRAWN :- SOLID, SOLID-BOLD, & SOLID-BOLD-BEA
0034     C  -PED
0035     C  IF LABEL = 0 LABEL = FULL VALUE CF CONTOUR, LABEL = 1 LABEL = VALUE OF
    - CONTOUR/MJI .
0036     C  MING = SOME NUMBER LESS THAN LOWEST VALUE OF FUNCTION EXPECTED.
0037     C  NAV = NO. OF POINTS TO BE TAKEN IN MOVING WINDOW AVERAGE OF GRADIENT .
0038     C  NAFF = NO. OF LAT. & LONG VALUES TO BE WRITTEN ON MAP )
0039     C  NCS = NO. OF TITLE CARDS.
0040     C  CSEPL = THE RATIO (DISTANCE BETWEEN ADJACENT CONTOURS)/(HEIGHT OF LABEL
    NUMERALS) WHICH MUST BE EXCEEDDF BEFORE A LABEL MAY BE INSERTED .
0041     C  NLT = NO. OF LINE TYPES ( UP TO 5 )
0042     C  LINT(1) ARE THE REPETITION NUMBERS OF EACH LINE TYPE . E.G. IF LINT(1)=50
    - THEN EVERY 50TH CONTOUR WILL BE SOLID-BOLD-BEADED. ETC ETC .
0043     C$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$$
110  FORMAT(15,3F10.4)
    SCLX=SCLLY
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0022 SCLY=SCLLY
0023 HT=HL*2.C
0024 NA=NC*20
0025 READ(1,115)(ABC(I),I=1,NA)
0026 115 FORMATI(20A4)
0027 NA=NA*4
0028 CALL SYMBOL(0,0,0,0,HT,ABC,0,0,NA)
0029 CALL PLOT (0,0,2,0,-3)
0030 MAP=0
0031 1000 CONTINUE
0032 IF(INSTART.EQ.0) GO TO 411
0033 DO 410 J=1,NSTART
0034 OJ 410 I=1,MTOT
0035 410 READ(9,111)((A(I+1,K),K=1,4),L=1,4)
0036 NTOT=NTOT+NSTART
0037 411 CONTINUE
0038 NTOT=MTOT-NSTART
C*****
C CALC OF NO. OF BASIC CONTOURS PER INCH AT WHICH CONTOURS OF EACH ORDER
C WILL BE TERMINATED
C*****
NPRODX=NPROX*100*HL
NP1=NPRCX
NP2=NPROX*LN(4)
NP3=NPRCX*LN(3)
NP4=NPROX*LN(2)
NPRODY=NP3
106 FORMATI(215,5F10.4)
C*****
C CALC OF NO. OF , AND SIZE (INCHES), OF BLOCKS & STRIPS
C*****
MBLOCK=MTOT/MSUB
MLAST=MTOT-MBLOCK*MSUB
IF (MLAST.NE.0) MBLOCK=MBLOCK*1
IF (MLAST.EQ.0) MLAST=MSUB
NSTRIP=NTOT/NSUB
MLAST=NTOT-NSTRIP*NSUB
IF (MLAST.NE.0) NSTRIP=NSTRIP*1
IF (MLAST.EQ.0) MLAST=NSUB
XXBL=(MBLOCK-1)*XBL
YBL=NSUB/SCLY
NST=0
WRITE(3,310)(MTOT,NTOT,MSUB,NSUB,MJI,SCLX,SCLY,MBLOCK,MLAST,NSTRIP,
310 FORMATI(10,2X,515,2F10.4,715,F10.4)
SCLY=SCLX*NGRDY
SCLY=SCLY*NGRDY
XTP=SCLY/SCLX
C*****
C NEW STRIP
C*****

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0064 300 NST=NST+1
0065 NS=2
0066 IF (NST.EQ.1)NS=1
0067 NF=NSUB+1
0068 IF (NST.EQ.NSTRIP)NF=NLAST
0069 DO 301 J=NS,NF
0070 WRITE (3,310) J
0071 IF(MSTART.EQ.0) GO TO 1003
0072 DO 1002 I=1,MSTART
0073 READ(9,111)((A(I,J),K=1,4),L=1,4)
0074 1002 CONTINUE
0075 1003 CONTINUE
0076 DO 301 I=1,MTOT
0077 READ(9,111)((A(I,J),K,L),K=1,4),L=1,4)
0078 301 CONTINUE
0079 111 FORMAT (1H ,8E16.8)
0080 M9L=0
C*****
C NEW ALLOCK
C*****
302 M9L=MBL+1
JUMP=0
NF=NSUB+1
IF(NST.EQ.NSTRIP) NF=NLAST
WRITE (3,306)NST
306 FORMAT (1H0,25X,5HSTRIP,16)
WRITE (3,307)M9L
307 FORMAT (1H0,25X,5HBLOCK,16)
MS=(MBL-1)*MSUR+1
MF=MS+MSUR
IF (M9L.EQ.MBLOCK)MF=MS+MLAST-1
I=0
NSTAGE=1
MAPG=0
111 308 I=MS,MF
I=I+1
DO 308 J=1,NF
GP(I,J)=A(I,J,1,1)
308 CONTINUE
DO 325 J=1,NF
325 WRITE(3,1C7)((A(I,J,1,1),I=MS,MF)
5MAX=GP(1,1)
6MIN=GP(1,1)
7T=MF-MS+1
8MAX=1
9M(I)=1
CALL MAXMIN(GP,MT,NF,NMAX,1H,JM,GM,4CM, MJI,JK,IK,GMIN,GMAX,GPP)
MT=NMAX-1
M=1
N=NSUB*NGRDY+1
M=MSUB*NGRDY+1
IF(M9L.EQ.MBLOCK) M=MLAST*NGRDY+1
IF(NST.EQ.NSTRIP) N=NLAST*NGRDY+1
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0114 C*****
0115 C SET ALL SUB GRID VALUES TO LT. MING
0116 C*****
0117 DO 316 I=1,M
0118 DO 316 J=1,N
0119 IF(NMAX.EQ.1) GO TO 315
0120 IF(MAT(IH,10X,7HMAX/MIN,2X,2F10.4,I5,10(/,5X,2I5,F10.4,I5))
0121 WRITE(3,604) GMAX,GMIN,NMAX,(I(I),JM(I),GM(I),MDM(I),I=2,NMAX)
0122 309 NM=NM+1
0123 IF(NH.GT.NMAX) GO TO 315
0124 C*****
0125 C USE GRADIENTS XG,YG, TO FIND CELL CONTAINING PARTICULAR REL. MAX/MIN
0126 C*****
0127 311 I=MIN(NH)+MS-1
0128 J=JMIN(NH)
0129 JL=(J-1)*NGRDY+1
0130 IL=(I-MS)*NGRDY+1
0131 GPP=GM(NP)
0132 XG=ALI(J,2,1)*MOM(NH)
0133 YG=ALI(J,1,2)*MOM(NH)
0134 WRITE(3,111) XG,YG
0135 IF(XG.LT.0) I=I-1
0136 IF(YG.LT.0) J=J-1
0137 WRITE(3,171)NH,I,J
0138 371 FORMATTIH,20X,10HMAX/MIN # ,316)
0139 C*****
0140 C REJECT MAX/MIN OUTSIDE BLOCK BOUNDARY
0141 C*****
0142 IF(J.EQ.0.OR.J.GT.NF.CR+1.LT.MS.OR.I.GT.MF) GO TO 309
0143 IX=(I-MS)*NGRDY
0144 JY=(J-1)*NGRDY
0145 NGJ=NGRDY
0146 IF(J.EQ.NF) NGJ=NGRDY+1
0147 NGI=NGRDY
0148 IF(I.EQ.MF) NGI=NGRDY+1
0149 C*****
0150 C CALC ALL SUR GRID VALUES WITHIN CELL CONTAINING MAX/MIN
0151 C*****
0152 DO 314 L=1,NGJ
0153 LL=JY+L
0154 DO 314 K=1,NGI
0155 KK=IX+K
0156 IF(G(KK,LL).LT.MING) G(KK,LL)=SPLINE(A,KK,LL,NGRDY,M,N,MS)
0157 C*****
0158 C FIND LOCATION OF MAX/MIN WITHIN CELL
0159 C*****
0160 IF(MDM(NP).GT.0. AND.G(KK,LL).LE.GPP) GO TO 314
0161 IF(MDM(NH).LT.0. AND.G(KK,LL).GE.GPP) GO TO 314
0162 FL=KK

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0152 JL=LL
0153 GPP=G(KK,LL)
0154 314 G(K,LL)=G(KK,LL)
0155 IF(MO(NM),LT,0) GO TC 361
0156 X=IL/SCLX
0157 Y=JL/SCLY
C*****
C DRAW TRIANGLE AT MAX POSITICN *****
C*****
CALL SYMBOL (X,Y,HL,2,0,0,-1)
361 CONTINUE
107 FORMAT (1H,2X,17(F7.1))
WRITE(3,366) IL,JL,GPP
366 FORMAT(1H,20X,216,5F10.4)
NREJ=0
C*****
C REJECT MAX/MIN ON BLOCK BOUNDARY OR ON PREVIOUS MAX/MIN LINE *****
C*****
IF(IL,EQ,1,OR,JL,EQ,3) WRITE(3,368) IL,JL,GPP
1 NREJ=3
368 FORMAT(1H,20X,217HIS MAX/MIN REJECTED,216,5F10.4)
C*****
C/ REJECT INSIGNIFICANT MAX/MIN *****
C*****
NGP=GPP/PJT
NGX(1)=G(1,1,JL)/PJT
NGX(2)=G(NGI,JL)/PJT
NGX(3)=G(IL,NGJ)/PJT
JPL=JM(NM)
IF(G(IL,JPL),LT,MING) G(IL,JPL)=SPLINE(A,IL,JPL,NGRDX,NGRDY,
IM,N,MS)
NGX(4)=G(IL,JPL)/PJT
DO 381 L=1,4
DIF=NGP-NGX(L)
IF(DIF,EQ,0) GO TO 37C
381 CONTINUE
NM=NPM+1
I*(NM)=IL
JM(NM)=JL
GM(NM)=GPP
GO TO 3C5
37C WRITE(3,368)IL,JL,GPP
GO TO 305
315 CONTINUE
C*****
C CALC ALL VALUFS AT SUB GRID INTFRVAL AROUND BOUNDARY AND ACROSS *****
C ALL MAX/MIN LINES *****
C*****
NMAX=NM+1
JM(NMAX)=N
DO 313 JS=1,NMAX

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0190 LL=JM(J5)
0191 DO 313 KK=1,M
0192 IF(G(KK,LL).LT.MING) G(KK,LL)=SPLINE(A,KK,LL,NGRDX,NGRDY,M,N,MS)
0193 IF(G(KK,LL).LT.GMIN) GMIN=G(KK,LL)
0194 IF(G(KK,LL).GT.GMAX) GMAX=G(KK,LL)
0195 313 CONTINUE
0196 505 FORMAT(1H ,2X,10F12.4)
0197 KK=1
0198 DO 318 LL=1,N
0199 IF(G(KK,LL).LT.MING) G(KK,LL)=SPLINE(A,KK,LL,NGRDX,NGRDY,M,N,MS)
0200 IF(G(KK,LL).GT.GMAX) GMAX=G(KK,LL)
0201 IF(G(KK,LL).LT.GMIN) GMIN=G(KK,LL)
0202 318 CONTINUE
0203 IF(KK.EQ.4) GO TO 319
0204 KK=M
0205 GO TO 317
0206 314 CONTINUE
0207 NMT=NMAX-1
0208 WRITE(3,605) GMAX,GMIN,NMAX
0209 605 FORMAT(1H ,2X,2F10.4,5I6)
0210 606 FORMAT(1H ,10X,2I6,10.4,16)
0211 C*****
C CALC NO. OF CONTOUR INTERVALS REQUIRED TO COVER RANGE OF FUNCTION WITHIN
C BLOCK
C*****
0212 NGMIN=GMIN/NJT
0213 NGMAX=GMAX/NJT
0214 IF(GMIN.LT.C) NGMIN=NGMIN-1
0215 IF(GMAX.LT.C) NGMAX=NGMAX-1
0216 N RANGE=NGMAX-NGMIN
0217 IF(N RANGE .LE. NPG) GC TO 804
C*****
C RANGE EXCEEDS ALLOWED VALUE: CONTOUR UP TO ALLOWED RANGE
C*****
N RN=N RANGE
N RANGE=NRG
50 TO 804
C*****
C MOVE BASE OF ALLOWED RANGE UP TO TOP OF PREVIOUSLY CONTOURED VALUES AND
C CONTOUR NEXT SET UP TO ALLOWED RANGE : THIS PROCEDURE REPEATED
C UNTIL FULL RANGE OF CONTOURS WITHIN BLOCK IS COVERED
C*****
800 NGMIN=NGMIN+NRG
N RANGE=NPN-N RANGE
JUMP=0
IF(N RANGE.LT.NRG) GC TO 804
N RN=N RANGE
N RANGE=NRG
804 CONTINUE
C*****
C SET UP CONTOUR VALUES
C*****

```

```

0228      DO 502 KK=1,NRANGE
0229      NDC(KK)=0
0230      502 CVI(KK)=(KK+NGMIN)*MJT
0231      CALL CFIND(NMAX,NPER,M,N,JP,G,NOC,XCB,CV,MJI,NGMIN,JUMP)
C*****
C BEGIN WITH LOWEST CONTOUR VALUE
C*****
17 K=1
   NRR=(NMAX-2)*M
   NDR=-2
   CV=ABS(CV(K)/MJI)
   DO 1004 ILT=1,NTT
   NDR=NDR+1
   CV=CCV/LIN(ILT)
   ICV=CVV
   IF(ICV-CVV) IC04,1005,1004
1004 CONTINUE
   NDR=NDR+1
1005 CONTINUE
   GO TO 16
C*****
C GO TO NEXT CONTOUR
C*****
18 K=K+1
   IF (K.GT.NRANGE) GO TC 600
   CV=ABS(CV(K)/MJI)
C*****
C CALC ORDER OF CONTOUR ( NDR)
C*****
   NDR=-2
   DO 1006 ILT=1,NTT
   NDR=NDR+1
   CV=CCV/LIN(ILT)
   ICV=CVV
   IF(ICV-CVV) 1006,1007,1006
1006 CONTINUE
   NDR=NDR+1
1007 CONTINUE
   16 00 15 KJ=1,NRR
   15 KNT(KJ)=0
   L=0
C*****
C GO TO NEXT OCCURENCE OF THIS PARTICULAR CONTOUR
C*****
99 L=L+1
   IF (L.GT.NDC(K)) GO TC 18
   NS0=XCB(K,LL)
   NOD=NS0-2*NH-2*M
   IF(NOD.LT.1) GO TO 98
   IF(KNT(NOD).EQ.1) GO TO 99
   KNT(NOD)=1
98 CONTINUE
   TX=0

```

```

0269      JX=0
0270      CALL CSTART(A,G,GR,XC,YC,XCR,NOC,KNT,NPER,JM,M,N,KV,I,J,K,L
24      CONTINUE
0272      24. CONTINUE
0273      SCL=SCLX
0274      CALL TRACE(A,G,XC,YC,GR,KNT,JM,KV,NMAX,NGRODX,NGROY,M,N,MS,
IF(NDR.EQ.0) GO TO 99
0275      IF(NDR.EQ.-1) II=II-1
0276      CALL CORAM(XC,YC,XD,YD,GR,KSP,CV,MJI,SCL,NPRODX,NCPROX,
1 JL,NAV,NOR,HL,II,K,NPI,NP2,NP3,NP4,ILAB,LINET,LABET,LIN, CSEPL)
GO TO 95
0277      600 CONTINUE
0278      IF(JUMP.EQ.0) GO TO 801
0279      C*****
C A FURTHER RANGE OF CONTOURS REMAINS TO BE COVERED WITHIN THIS BLOCK
C*****
WRITE(3,802)
802 FORMAT(1H0,4HJUMP)
GO TO 800
801 CONTINUE
IF(MBL.EQ.MBLOCK) GO TO 303
C*****
C GO TO NEXT BLOCK
C*****
CALL PLOT (XRL,0,0,-3)
GO TO 302
303 IF(NST.EQ.NSTRIP) GO TO 380
C*****
C GO TO NEXT STRIP
C*****
CALL PLOT (-XXBL,YBL,-3)
DO 305 I=1,MTOT
DO 305 K=1,4
DO 305 L=1,4
305 A(I+1,K)=A(I,NF+1,K,L)
GO TO 300
C*****
C GO TO NEXT MAP
C*****
380 MAP=MAP+1
IF(MAP.EQ.NMAP) GO TO 1001
YSHF=(MLAST-MTOT)/SCLLY
XSHF=(MLAST/SCLLX)
CALL PLOT(XSHF,YSHF,-3)
MSTART=0
SCLX=SCLLX
SCLY=SCLLY
READ (1,10) MTOT,NTOT
GO TO 1000
1001 REWIND 9
CALL PLOT (120,0,0,0,3)
CALL PLOT (0,0,0,0,999)
C*****

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MAIN

FORTRAN IV G LEVEL 18

```
0307 WRITE(3,610)
0308 610 FORMAT(1H,10X,6HFINISH)
0309 CALL EXIT
0310 END
```

```

0001      FUNCTION SPLINE (A,K,L,NGRDX,NGRDY,M,N,MS)
C*****
C      CALC. A VALUE OF THE APPROPRIATE BICUBIC AT SOME POINT WITHIN SPLINE CELL
C*****
      DIMENSION A(4,16,4,4),AB(4)
      XINC=1./C/NGRDX
      I=MS-1+K/NGRDX
      KX=K-(I-MS+1)*NGRDX
      IF(KX.NE.0.AND.K.NE.M) I=I+1
      IF(KX.EQ.0) KX=NGRDX
      X=(KX-1)*XINC
      IF(K.EQ.M) X=1
      YINC=1./C/NGRDY
      J=L/NGRDY
      LY=L-J*NGRDY
      IF(LY.NE.0.AND.L.NE.N) J=J+1
      IF(LY.EQ.0) LY=NGRDY
      Y=(LY-1)*YINC
      IF(L.EQ.N) Y=1
      IF(X.EQ.0.AND.Y.EQ.0) GO TO 4
      Y2=Y*Y
      Y3=Y*Y*Y
      IF(X.EQ.0) GO TO 2
      X2=X*X
      X3=X*X*X
      IF(Y.EQ.0) GO TO 3
      DO 1 IV=1,4
      1 AB(IV)=A(I,J,IV,1)+A(I,J,IV,2)*Y+A(I,J,IV,3)*Y2+A(I,J,IV,4)*Y3
      SPLINE=AB(1)+AB(2)*X+AB(3)*X2+AB(4)*X3
      RETURN
      2 SPLINE=A(I,J,1)+A(I,J,2)*Y+A(I,J,3)*Y2+A(I,J,4)*Y3
      RETURN
      3 SPLINE= A(I,J,1)+A(I,J,2)*X+A(I,J,3,1)*X2+A(I,J,4,1)*X3
      RETURN
      4 SPLINE=A(I,J,1,1)
      RETURN
      END

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SUBROUTINE MAXMIN (GP,N,NMAX,IH,JH,GM,NOM, MJ,I,JK,IK,GM,IV,
1 JKA,GPP)
C*****
C DETECT RELATIVE MAXIMA OR MINIMA. ( BASIC GRID VALUES SURROUNDED BY 8 LARG
C FR OR 8 SMALLER VALUES )
C*****
DIMENSION GP(16,16),JM(50),GM(50),MGM(50)
DO 4 J=1,N
DO 4 I=1,M
JK=J
IK=I
NEG=1
KV=0
DO 2 KK=1,8
K=-1
L=-1
IF(KK.EQ.1.OR.KK.EQ.5) K=0
IF(KK.GT.5) K=1
IF(KK.EQ.3.OR.KK.EQ.7) L=0
IF(KK.GT.3.AND.KK.LT.7) L=1
KX=I+K
LY=J+L
IF(LY.EQ.0.OR.LY.GT.N.OR.KX.EQ.0.OR.KX.GT.M) GO TO 2
KV=KV+1
DI=GP(I,J)-GP(KX,LY)
1 IF(DIF.LT.0) NEG=NEG+1
2 CONTINUE
GPP=GP(IK,JK)
IF(GPP.GT.GMAX) GMAX=GPP
IF(GPP.LT.GMIN) GMIN=GPP
NMAX=NMAX+1
MCM(NMAX)=I
IF(NEG.EQ.1) MCM(NMAX)=J
JM(NMAX)=IK
GM(NMAX)=JK
MGM(NMAX)=GPP
4 CONTINUE
5 RETURN
END

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0001 SURROUTINE CFIND(NMAX,NPER,M,N,JM,G,NCC,XCB,CV,MJI,NGMIN,JUMP)
C*****
C FIND POSITION OF EACH ALTERNATE INTERCEPT OF EACH CONTOUR WITH EITHER BLOC
C K BOUNDARY OR WITH THE INTERNAL MAX/MIN LINES. ( INTERCEPT COORDINATE =
C LINEAR DISTANCE ANTICLOCKWISE AROUND BLOCK BOUNDARY FROM LR, L.H. CORNER
C THEN ACROSS MAX/MIN LINES L. TO R. BEGINING WITH LOWEST MAX/MIN LINE )
C*****
DIMENSION JM(50),G(18),81),NDC(120),XCB(120,15),CV(120)
DIMENSION NDI(120)
DO 401 IZ=1,120
401 NDI(IZ)=G
NRG=120
NXT=0
NEND=0
NPER=2*NMAX
DO 508 KKK=1,NPER
NXT=NXT+NEND
WRITE(3,400) KKK,NXT
400 FORMATI(1H,10X,4HKKK=,I2,2X,4HNXT=,I4)
KZ=1
IF (KKK.EQ.2.OR.KKK.EQ.3) KZ=NEND
NEND=M
IF (KKK.EQ.2.OR.KKK.EQ.4) NEND=N
IF (KKK.GT.4) KZ=JM(KKK-3)
DO 508 KVV=2,NEND
KV=KVV
IF (KKK.EQ.3.OR.KKK.EQ.4) KV=NEND-KVV*2
NSQ=NXT+KV-1
IF (KKK.EQ.2.OR.KKK.EQ.4) GO TO 505
I=KV
K=I-1
J=KZ
L=KZ
505 J=KV
L=J-1
K=KZ
I=KZ
506 CONTINUE
K4=0
NG2=G(I,J)/MJI
N51=G(K,L)/MJI
NDIF=NG2-NG1
NCV=IAB S(NDIF)
IF (G(K,L).GT.I.O.C.AND.G(I,J).GT.O.O) GO TO 510
K4=-1
IF (G(K,L).LT.O.O.AND.G(I,J).LT.O.O) GO TO 511
NCV=NCV+1
NDIF=NCV
IF (G(K,L).GT.G(I,J)) NDIF=-NCV
IF (NDIF.LT.O) K4=0
511 CONTINUE
510 CONTINUE

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0048 [F (NCV, EQ, 0) GO TO 508
C *****
C CONTOUR INTERCEPTS FOUND IN THIS SUR-GRID INTERVAL. ( NCV = NO. OF CONTOUR
C INTERCEPTS )
C *****
0049 K2=NCV/NDIF
0050 K3=(K2+1)/2
0051 KK=NG1+K3-NGMIN+K4
0052 IF(CV(KK+NCV-1), EQ, G(I, J)) G(I, J)=G(I, J)+MJI*0.001
0053 IF(CV(KK), EQ, G(K, L)) G(K, L)=G(K, L)+MJI*0.001
1024 DIF=G(I, J)-G(K, L)
0055 DO 507 KCV=1, NCV
C *****
C IGNORE ANY CONTOUR VALUES OUTSIDE PRESENT RANGE BEING CONSIDERED CONTOUR
C VALUES BELOW PRESENT RANGE HAVE BEEN COVERED IN PREVIOUS RUN, VALUES
C ABOVE PRESENT RANGE WILL BE COVERED IN NEXT RUN )
C *****
0056 IF(KK, L, 1) GO TO 507
0057 IF(KK, LE, NRG) GO TO 509
0058 JUMP=1
0059 GO TO 507
0060 CONTINUE
0061 NDI(KK)=ND(KK)+1
0062 I=ND(KK), G(I, 1) NOT(KK)=0
C *****
C SKIP EVERY OTHER OCCURENCE OF EACH CONTOUR
C *****
0063 IF(ND(KK), EQ, 0) GO TO 507
0064 NDC(KK)=NDC(KK)+1
0065 LL=NDC(KK)
0066 IF(LL, LE, 15) GO TO 502
C *****
C IF MORE THAN 30 OCCURENCS OF ANY PARTICULAR CONTOUR HAVE BEEN FOUND , SKI
C P ANY FURTHER OCCURENCS OF THIS CONTOUR
C *****
0067 NDC(KK)=NDC(KK)-1
0068 WRITE(3, 503) CV(KK), I, J, K, L
0069 503 FORMAT( IHO, 2X, F10.1, 1, 7H FIND PCINTS > 30, 4I6)
0070 GO TO 507
0071 502 CONTINUE
0072 XGB(KK, LL)=NSQ+ICV(KK)-G(K, L)/DIF
0073 507 KK=KK+K2
0074 508 CONTINUE
0075 RETURN
0076 END

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0001 SUBROUTINE CSTART(A,G,GR,XC,YC,XCB,NOC,KNT,NPER,JM,M,N,KV,I,J,K,L
1,MS,NGRDX,NGRDY,XYP,NMAX,NSO,IX,JK,NST,MBL,MING)
C*****
C CONVERT LINEAR COORD. OF CCNTOUR INTERCEPT TO X & Y COORDS AS 1ST POINT N
C *****
C *****
DIMENSION A(41,16,4,4),G(81,81),XC(140),YC(140),GR(440),NR(440),JM(50),
1 KNT(891),XCB(120,15),NOC(120)
NXT=0
N4=1
D9 Z9 KV=1,NPER
TF(KV,GT,4) NM=N4+1
Z2=XCB(K,L)-NXT
NXT=NXT+M
TF (KV,EQ,2,OR,KV,EC,4)NXT=NXT-M+N
TF(XCB(K,L),LT,NXT) GC TO 21
20 CONTINUE
21 IF (KV,EQ,2,OR,KV,EQ,4) GC TO 22
C*****
C INTERCEPT ON LOWER OR UPPER BLOCK BOUNDARY OR ON MAX/MIN LINE
C *****
NXT=NXT-M
I=ZZ
J=JM(N4)
TF(KV,EQ,3)J=JM(NMAX)
TF(KV,EQ,3) JX=-1
XC(1)=Z2
YC(1)=J/YYP
IP=I+1
TF(G(I,P),J),LT,MING) G(I,P),J)=SPLINE(A,IP,J,NGRDX,NGRDY,M,N,MS)
TF(G(I,J),LT,MING) G(I,J)=SPLINE(A,I,J,NGRDX,NGRDY,M,N,MS)
G2(1)=G(I+1,J)-G(I,J)
I=(KV,GT,4) KV=1
G9 TO 24
22 I=1
C*****
C INTERCEPT ON L,H, OR R,H, BLOCK BOUNDARY
C *****
NXT=NXT-N
TF (KV,EC,2)I=M
TF(KV,FQ,2) IX=-1
I=ZZ
YC(1)=I
YC(1)=Z2/YYP
JP=J+1
TF(G(I,JP),LT,MING) G(I,JP)=SPLINE(A,I,JP,NGRDX,NGRDY,M,N,MS)
TF(G(I,J),LT,MING) G(I,J)=SPLINE(A,I,J,NGRDX,NGRDY,M,N,MS)
GR(1)=G(I,J+1)-G(I,J)
G3(1)=GR(1)*XYP
M4X=NMAX-1
24 RETURN
END

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0001 SUBROUTINE CTRACE(A,G,XC,YC,GR,KNT,JH,KV,MHMAX,NGRODX,NGRDY,M,N,MS,
      1 I,J,K,CV,IT,IX,JX,SCL,NDR,NP1,NP2,NP3,MJI,NP4,MING,KYP)
C*****
C TRACE CCONTOUR FROM START CN BLOCK BOUNDARY TO END ON BLOCK BOUNDARY, OR
C FROM START CN MAX/MIN LINE BACK TO START.
C*****
      DIMENSION A(41,16,4,4), G(81,81), XC(440), YC(440), GR(440), CV(120)
      1, JMI(50), KNT(891)
      NDR=1
      NLP=0
      I=K.EQ.1) NPR=1
      IF(NDR,LT,2) NPR=0
      IG=10
      NXS=0
      NYS=0
      II=1
C*****
C CONSIDER SUP-GRID CELL INTO WHICH NEXT INCREMENT OF CONTOUR PROJCTS
C*****
      100 I=I+X
      J=J+Y
C*****
C SEARCH BOUNDARY OF SUB CELL ANTICLOCKWISE TO FIND EXIT POINT OF CONTOUR
C CALC VALUES AT CORNERS OF SUB CELL AS AND IF REQUIRED
C*****
      101 KV=KV+1
      NLP=NLP+1
      I=(KV.EQ.5) KV=1
      IF(NLP,LT,4) GO TO 1
      WRITE(3,150) KV,I,J,K,CV(K),G(I,J),G(I+1,J),G(I+1,J+1),G(I,J+1)
      150 FORMATT(1H,1X,4HL00P,10X,4I5,5F10,4)
      GO TO 15
      1 CONTINUE
      KN=0
      LN=0
      KP=1
      LO=1
      IF(KV,FQ,1) LP=0
      IF(KV,FQ,2) KN=1
      IF(KV,EQ,3) LN=1
      IF(KV,EQ,4) KP=C
      IN=I+KN
      JN=J+LN
      IP=I+KP
      JP=J+JP
      IF(G(IP,JP),LT,MING) G(IP,JP)=SPLINE(A,IP,JP,NGRODX,NGRDY,M,N,MS)
      IF(G(IN,JP),LT,MING) G(IN,JP)=SPLINE(A,IN,JP,NGRODX,NGRDY,M,N,MS)
      IF(G(IN,JN),EQ,CV(K)) G(IN,JN)=G(IN,JP)+G(JN,JP)*I*0.001
      IF(G(IP,JN),EQ,CV(K)) G(IP,JN)=G(IP,JP)+G(JN,JP)*I*0.001
      200 FORMATT(1H,2X,3(2I5,2X,F12.7))
      IF(G(I+KN,J+LN),GE,CV(K)) AND,G(I+KP,J+LP),LE,CV(K)) GO TO 102
      IF(G(I+KN,J+LN),LE,CV(K)) AND,G(I+KP,J+LP),GE,CV(K)) GO TO 102
      GO TO 101
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0041      102 II=II+1
C*****
C      EXIT POINT OF CONTOUR FUNCT. CALC X&Y COORDS OF POINT.
C*****
      NLP=0
0042      210 FORMAT(1H,20X,I015)
0043      5R(II)=G(I+KP,J+LP)-G(I+KN,J+LN)
0044      IF(KV.EQ.2.OR.KV.EQ.4)GR(II)=GR(II)*XYP
0045      IF(IC.NE.101)GO TO 20
0046      IG=0
0047      211=GR(II-1)
0048      DIF1=ABS(DIF1)
0049      DIF2=GR(II)
0050      DIF2=ABS(DIF2)
0051      DIF=DIF1
0052      IF(DIF2.GT.DIF1)DIF=DIF2
0053      NP1=SCL*DIF/(NJI*2)
0054      IF(NDR.LT.2.AND.NPI.LT.NP3)NPR=1
0055      IF(NDR.EQ.2.AND.NP1.GT.NP2.AND.NPR.EQ.0)NDR=0
0056      IF(NDR.EQ.3.AND.NP1.GT.NP1.AND.NPR.EQ.0)NDR=0
0057      IF(II.GT.2.AND.NDR.EQ.0)NDR=-1
0058      IF(NDR.LT.1)GO TO 15
0059      20 CONTINUE
0060      IG=IG+1
0061      DEL=(CV(K)-G(I+KN,J+LN))/GR(II)
0062      IF(KV.EQ.2.OR.KV.EQ.4)GO TO 103
0063      XC(II)=I*DEL
0064      YC(II)=(J+LN)/XYP
0065      IX=0
0066      JX=-1
0067      IF(KV.EQ.3)JX=1
0068      NYS=NYS+JX
0069      KV=KV+2
0070      IF(KV.EQ.5)KV=1
0071      JT=J+LN
0072      D0 23 NM=I,NMAX
0073      NXX=NM
0074      IF(JT.EQ.JH(NM))GO TO 86
0075      23 CONTINUE
0076      GO TO 100
0077      C*****
C      CONTOUR POINT IS ON MAX/MIN LINE OR UPPER OR LOWER BLOCK BOUNDARY
C*****
0078      86 CONTINUE
0079      NXT=2*M+2*N+(NMX-2)*M
0080      IF(NMX.EQ.1)NXT=0
0081      IF(NMX.EQ.NMAX)NXT=N+M
0082      NSQ=NXT+I
0083      NQ=NSQ-2*M-2*N
0084      IF(NQ.GT.0)KN(INQ)=1
0085      IF(XC(II).EQ.XC(II).AND.YC(II).EQ.YC(II))GO TO 19
0086      IF(NXS.EQ.0.AND.NYS.EQ.0)GO TO 19
0087      IF(JT.EQ.1.OR.JT.EQ.N)GC TO 19

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0088      GO TO 100
          C*****
          C CONTOUR POINT IS ON LEFT OR RIGHT BLOCK BOUNDARY *****
          C*****
          100 XC(11)=I+KN *****
              YC(11)=J+YYP+DEL *****
              JX=0 *****
              IX=-1 *****
              IF(KV.EQ.2)IX=1 *****
              NX5=NK5+IX *****
              KV=KV+2 *****
              IF(KV.EQ.6) KV=2 *****
              IT=I+KN *****
              IF(IT.NE.1.AND.IT.NE.M) GO TO 100 *****
              NXT=M *****
              IF(IT.EQ.1) NXT=2*M+N *****
          10 RETURN *****
          END *****

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0001 SUBROUTINE CDRAM(XC,YC,XD,YD,GR,KSP,CV,MJ,SCL,NPROX,NCPONX,
0002 1 JL,NAV,NDOR,HL,IT,K,MFI,NP2,NP3,NP4,ILAB,LINET,LABEL,LIN,CSEPL)
0003 DIMENSION XC(440),YC(440),XD(440),YD(440),GR(440),KSP(440),CV(120)
0004 DIMENSION LTN(5)
C*****
C II IS NC. OF POINTS ON CONTOUR
C*****
0004 NP=II
0005 KFC=0
0006 IF(II.GT.NAV) GO TO 882
0007 JL=100
0008 AVGM=10.C**6
0009 AVG=0.0
0010 DO 991 IL=1,II
0011 A1=GR(IL)
0012 991 AVG=AVG+ABS(A1)/II
0013 NP1=SCL*AVG/MJI
0014 DO 229 IL=1,II
0015 KSP(IL)=0
0016 IF(NP1.GT.NP1) KSP(IL)=1
0017 IF(NP1.GT.NP2) KSP(IL)=2
0018 IF(NP1.GT.NP3) KSP(IL)=3
0019 IF(NP1.GT.NP4) KSP(IL)=4
0020 229 CONTINUE
0021 GO TO 780

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C*****
C TAKE 5 MOVING WINDOW AVERAGE OF GRADIENT
C*****
0022 882 CONTINUE
0023 NV=NAV/2
0024 AVG=0
0025 DO 225 IL=2,NAV
0026 A1=GR(IL-1)
0027 AVG=AVG+ABS(A1)/NAV
0028 225 CONTINUE
0029 NP0=II-NV
0030 NP0=NV+1
0031 A2=0
0032 DO 756 II=NP0,NPP
0033 A1=GR(IL+NV)
0034 IF(II.EQ.NPQ) GO TO 226
0035 A2=GR(II-NV-1)
0036 756 CONTINUE
0037 AVG=AVG+(ABS(A1)-ABS(A2))/NAV
0038 IF(II.FC.NPQ) AVGM=AVG*2.0
0039 IF(AVG.GE.AVGM) GO TO 801

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C*****
C FIND MINIMUM GRADIENT POINT ON CONTOUR SEGMENT
C THIS POINT TO BE LABEL POSITION IF ADJACENT CONTOUR DENSITY ALLOWS
C*****
0040 AVGM=AVG
0041 JL=IL-2
0042 XB=XC(JL)

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0043      YB=VCLJL)
0044      R01 CONTINUE
C*****
C      ESTIMATES NO. OF BASIC CONTOURS/INCH ADJACENT TO EACH POINT ON CONTOUR
C*****
      NPI=SCL*AVG/MJI
      KSP(II)=0
      IF(NPI.GT.NP1) KSP(II)=1
      IF(NPI.GT.NP2) KSP(II)=2
      IF(NPI.GT.NP3) KSP(II)=3
      IF(NPI.GT.NP4) KSP(II)=4
      756 CONTINUE
      OJ 227 TL=1,NV
      KSP(II)=KSP(INV+1)
      KSP(INP+II)=KSP(NPP)
      277 CONTINUE
      780 CONTINUE
C*****
C      ESTIMATE NO. OF CONTOURS /INCH AT LABEL POSITION
C*****
      NPI=SCL*AVGN/MJI
      NCL=II-JL
      IF(NCL.GE.25) GC TO 333
      JL=II-25
      IF(JL.LT.3) JL=0
      DIF1=6R(JL+1)
      DIF1=ABS(DIF1)
      DIF2=6R(JL+2)
      DIF2=ABS(DIF2)
      DIF=DIF1
      IF(DIF2.GT.DIF) DIF=DIF2
      NPI=L.5*SCL*DIF/MJI
      333 CONTINUE
      IJ=0
      IK=0
      NDR=0
      IF(NPI.GE.NP1.AND.NPI.LT.NP2) NPI=NPI/LIN(4)
      IF(NPI.GE.NP2.AND.NPI.LT.NP3) NPI=NPI/LIN(3)
      IF(NPI.GE.NP3.AND.NPI.LT.NP4) NPI=NPI/LIN(2)
      IF(NPI.GE.NP4)
         NPI=NPI/LIN(1)
      CSEP=1.0/(NPI*HL)
      NM=0
      IF(CSEP.GT.CSEPL) NM=1
C*****
C      SEPARATES DRAW AND NO DRAW SEGMENTS OF CONTOUR
C*****
      757 TK=IK+1
      IQ=IK-1
      IF (IK.GT.1.AND.NDR.EQ.0) GC TO 99
      IF (TK.GT.1.AND.NDR.EQ.1) GC TO 759
      K50=KSP(IK)*NPP
      IF(K50.LT.4) GO TO 758
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0C87 IF (NDR.EQ.1) GO TO 759
0C88 GO TO 757
0C89 758 NDR=1
0C90 IF (NM.EQ.1.AND.IQ.EQ.JL.AND.LLAB.EQ.1) GO TO 720
0C91 IJ=F+1
0C92 X0(IJ)=XC(IK)
0C93 Y0(IJ)=YC(IK)
0C94 GO TO 757
0C95 720 KFG=1
C*****
C DRAW A SEGMENT OF CONTOUR
C*****
759 NR=IJ
IK=IK-1
NDR=0
IJ=0
IF (NR.EQ.0) GO TO 814
IFLINE(EQ.0) GO TO 811
IF (NR.NE.2) GO TO 811
NOUT=3
NIN=10
NMR=NIN-1
I=0
815 DO 812 NI=1,NIN
I=I+1
NU=NI
X0(NI)=XD(I)
Y0(NI)=YD(I)
IF (I.EQ.NR) GO TO 813
812 CONTINUE
813 X0(NU+1)=0.0
X0(NU+2)=SCL
Y0(NU+2)=SCL
CALL BLINE(XD,YD,NU+1,NMR,1,0.01)
I=I+NOUT-1
IF (I.GE.NR) GO TO 814
GO TO 815
811 CONTINUE
X0(NR+1)=0.0
Y0(NR+1)=0.0
X0(NR+2)=SCL
Y0(NR+2)=SCL
IFLINE(EQ.0) GO TO 1000
IF (NDR.NE.3) GO TO 816
CALL BLINE(XD,YD,NR+1,-3+1,0.02)
GO TO 814
816 CONTINUE
402 FORMAT(1H,10X,4I6,4(2X,F10.2))
IF (NDR.EQ.-1) CALL BLINE(XD,YD,NR+1,3+1,0.03)
1000 CONTINUE
N8OLD=N
730 NROLD=NRCLD+1

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0137      CALL LINE (XD,YD,NR,1,0,0)
0138      IF(NOR.LT.1.AND.NBOLD.LT.4) GO TC 730
0139      814 CONTINUE
0140      IF (KFG.EQ.0) GO TO 757
C*****
C      DRAW LABEL
C*****
0141      KFG=0
0142      CK=CV(K)
0143      CALL CLABEL( XC,YC,HL,JL,TL,CK,NKG+SCL,MJ,LABEL)
0144      IK=IK+NKG-1
0145      IF(NKG.EQ.0) IK=IK+2
0146      GO TO 757
0147      99 RETURN
0148      END
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0001 SUBROUTINE CLABEL( XC,YC,HL,JL,II,CK,NKG,SCL,MJI,LABEL)
0002 DIMENSION XC(40),YC(40),XP(10),YP(10),XPP(10),YPP(10),CL(10),
0003 IF(JL.EQ.0) GO TO 2
0004 CVL=ABS(CK)
0005 IF(LABEL.EQ.1) CVL=CVL/PJI
0006 NF=1
C*****
C SEPARATES LABEL NUMBER INTO INDIVIDUAL DIGITS.
C*****
DO 6 I=1,10
NDIG=I+1
NF=NF*10
IF(CVL.LT.NF) GO TO 7
6 CONTINUE
7 IF(CK.GF.0) NDIG=NDIG-1
TL=(2*NDIG)*HL
IS=1
IF(CK.LT.0) IS=2
DO 8 I=IS,NDIG
8 L(I)=CVL/10**(I-1S)
L(NDIG+1)=0
IR=NDIG+1
DO 9 I=IS,NDIG
IR=IR-1
9 CL(IR)=L(I)-L(I+1)*10
C*****
C CREATES GAP OF CORRECT SIZE
C*****
DO 1 K=1,50
KK=JL*K
NKG=K
IF(KK.GT.11) GO TO 2
AD=SQRT((XC(JL)-XC(KK))**2+(YC(JL)-YC(KK))**2)/SCL
IF(AD.GT.TL) GO TO 3
1 CONTINUE
2 NKG=0
3 RETURN
C*****
C FITS PARABOLA TO MID AND END POINTS OF GAP
C*****
3 NH=NKG/2
NH=NH*JL
100 FORMAT(IH,10X,6F10.4,4I5)
NKG=NKG*JL
D1=SQRT((XC(JL)-XC(NH))**2+(YC(JL)-YC(NH))**2)/SCL
D2=SQRT((XC(NH)-XC(NKG))**2+(YC(NH)-YC(NKG))**2)/SCL
COMP=D1/D2
IF(COMP.GT.1.5) ORCOMP=LT.0.67160 TO 2
STR=(YC(NKG)-YC(JL))/(AD*SCL)
CTR=(XC(NKG)-XC(JL))/(AD*SCL)
ST=(YC(NH)-YC(JL))/(D1*SCL)
CT=(XC(NH)-XC(JL))/(D1*SCL)

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0044 X1=(CT*CTR+ST*STR)*D1
0045 Y1=(ST*CTR-CT*STR)*D1
0046 X2=AD
0047 F(Y1,GT,HL) GO TO 2
0048 AD=Y1/(X1**2-X1*X2)
0049 BP=-AP*X2
0050 HH=-HL/2.0
0051 IF(XC(JL),GT, XC(NKG)) HH=-HH
C*****
C CALC COORDS OF CORNERS OF DIGITS
C*****
00 4 I=1,NDIG
0052 XP(I)=HL*I
0053 YP(I)=AP*XP(I)**2+BP*XP(I)+HH
0054 D0=SORT(XP(I)**2+YP(I)**2)
0055 STR=YP(I)/D0
0056 CTR=XP(I)/D0
0057 YP(I)=(STR*CTR+CTR*STR)*D0+YC(JL)/SCL
0058 XP(I)=(CTR*CTR-STR*STR)*D0+XC(JL)/SCL
0059 TH=ARSIN(STR)
0060 TH=TH*IBC.0/3.1416
0061 IF(HH,GT,0) GO TO 11
0062 GO TO 14
0063 11 TH=-TH
0064 00 13 I=1,NDIG
0065 YPP(I)=YP(I)
0066 XP0(I)=XP(I)
0067 KP=NDIG+1
0068 DO 15 I=1,NDIG
0069 KP=KP-1
0070 XP(KP)=XPP(I)
0071 YP(KP)=YPP(I)
0072 15 YP(KP)=YPP(I)
0073 14 IF(CK,GE,0) GO TO 12
0074 X=XP(I)
0075 Y=YP(I)
0076 101 FORMAT(IH,10X,3F10.4)
C*****
C IF CONTOUR VALUE -VE, WRITE MINUS SIGN
C*****
0077 CALL SYMBOL(X,Y,HL,60,TH,-1)
0078 X=XP(I)
0079 Y=YP(I)
0080 CJ=CL(I)
0081 IF(CJ,LT,0.5,AND,CJ,GT,-0.5) CJ=0.0
0082 C*****
C WRITE EACH DIGIT OF CONTOUR LABEL AT CALCULATED POSITION.
C*****
0083 CALL NUMBER(X,Y,HL,CJ,TH,-1)
0084 10 CONTINUE
0085 NKG=NKG-JL
0086 P$TURN
0087 END

```